

Inference at * 1
of proof for Lemma fincr_wf:

$\vdash \{f \mid i:\mathbb{N} \rightarrow \text{if } (i =_0 0) \text{ then } \mathbb{Z} \text{ else } \{f(i - 1)\dots\} \text{ fi } \} \in \text{Type}$
by With $\lambda i,j. i < j$ MemCD

1:subterm. T:t1:n

$\vdash \mathbb{N} \in \text{Type}$

2:subterm. T:t2:n

$\vdash (\lambda i,j. i < j) \in \mathbb{N} \rightarrow \mathbb{N} \rightarrow \text{Type}$

3:eq aux. NILNIL

$\vdash \downarrow \text{WellFnd}\{1\}(\mathbb{N};u,v.(\lambda i,j. i < j)(u,v))$

4:eq aux. NILNIL

1. $i : \mathbb{N}$

2. $f : \{f \mid i:\{z:\mathbb{N} \mid z (\lambda i,j. i < j) i\} \rightarrow \text{if } (i =_0 0) \text{ then } \mathbb{Z} \text{ else } \{f(i - 1)\dots\} \text{ fi } \}$
 $\vdash \text{if } (i =_0 0) \text{ then } \mathbb{Z} \text{ else } \{f(i - 1)\dots\} \text{ fi } \in \text{Type}$